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Permeability of the landscape matrix between amphibian breeding sites

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Amphibian, dispersal, landscape genetics, microsatellite markers, population structure, resistance.

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Abstract

For organisms that reproduce in discrete habitat patches, land cover between patches (known as the matrix) is important for dispersal among breeding sites. Models of patchy populations often incorporate information on the permeability of the matrix to dispersal, sometimes based on expert opinion. I estimated the relative resistance to gene flow of land cover types and barriers using F_{ST} calculated from microsatellite markers in two amphibians, within an 800-km² area in northern Switzerland. The species included a frog (*Rana temporaria*: 996 individuals, 48 populations, seven markers) and a newt (*Triturus alpestris*: 816 individuals, 41 populations, seven markers). Open fields and urban areas were more resistant to gene flow than forested land; roads and highways also reduced permeability. Results were similar for the two species. However, differences in resistance among matrix elements were relatively low: gene flow through urban areas was reduced by only 24–42% relative to forest; a divided highway reduced gene flow by 11–40% and was 7–8 times more resistant than a secondary road. These data offer an empirically based alternative to expert opinion for setting relative resistance values in landscape models.

Introduction

For many organisms, the world consists of patches of habitat suitable for occupation separated by a matrix of uninhabitable space. This is a basic concept underpinning much of the early work in landscape ecology, biogeography, and metapopulation theory (Wiens 1995; Hanski 1999). Recent discoveries suggest that “the matrix matters” (Ricketts 2001), in the sense that variation in the composition of the unoccupied space between habitat patches, can influence populations within patches. This happens in several ways. Dispersal between pairs of patches may depend on the landscape elements, elevational gradients, and habitat types that fall between them (Cushman et al. 2006; Baguette and Van Dyck 2007). Alternatively, some species are not strictly confined to the habitat patch during their entire life cycle, and may use the matrix for foraging or hibernating. In such cases, it is not uncommon to observe that population density or occupation frequency of patches is related to the configuration of the matrix immediately surrounding the patches (Van Buskirk 2005; Ewers and Didham 2006; Angelone et al. 2011).

A major recent focus in landscape ecology is to estimate effects of the matrix on dispersal and patch occupation (Joly et al. 2001; Storfer et al. 2007, 2010; Minor and Urban 2008). The goal is to develop a better idea of when and how much the matrix matters. Which types of habitat or landscape elements act to obstruct dispersal, and by how much? What are the relative importances of land cover types? And to what extent do these differ among species? This study addresses these questions in a study of two amphibian species. The aim was to assign relative values to the permeability to gene flow of the basic types of landscape cover separating breeding sites, using data from the organisms themselves rather than external a priori information.

Amphibians that breed in water are well suited for this project because they depend on discrete wetlands for reproduction, but also utilize the surrounding habitat to varying degrees during the non-breeding season for foraging, hibernating, and dispersing. The species included in this study, *Rana temporaria* and *Triturus* (= *Mesotriton*) *alpestris*, are philopatric in the sense that most individuals return to breed in the same wetland in which they

completed larval development, but there is nevertheless regular dispersal among distinct breeding sites (Perret et al. 2003; Palo et al. 2004; Safner et al. 2011). It has been shown in various amphibians that matrix habitat influences local population status (Carr and Fahrig 2001; Joly et al. 2001; Van Buskirk 2005) and the connectivity of populations (Spear et al. 2005; Murphy et al. 2010; Safner et al. 2011). However, we lack a quantitative picture of how much the matrix matters for gene flow among breeding sites: which are the landscape elements that most strongly impede movement, and how important are they relative to one another?

Methods

The goal was to estimate the relationship between population connectedness and the composition of the landscape between populations. For the purposes of this study, a “population” was defined as the set of individuals breeding within a discrete wetland. The study had three stages: (1) the extent of dispersal among pairs of habitat patches was inferred indirectly from estimates of genetic divergence using neutral microsatellite markers; (2) the composition of the landscape between pairs of patches was measured from detailed maps of the study area; and (3) the relative contributions of types of landscape elements to population divergence were estimated using linear models. A strength of my approach is that information on resistance of landscape features to dispersal comes entirely from the organisms themselves. There was no initial step, as implemented in many other studies, of judging landscape permeability based on natural history information, behavioral observations, or expert opinion (e.g., Ray et al. 2002; Adriaensen et al. 2003; Cushman et al. 2006; Stevens et al. 2006; Compton et al. 2007; Storfer et al. 2007, 2010).

The habitat patches were wetlands supporting breeding aggregations of the common frog (*R. temporaria*) and alpine newt (*T. alpestris*), within an 800-km² region of northern Switzerland (Fig. 1; Table S1). I studied only some of the many amphibian breeding localities within this region, chosen because of their accessibility for sampling or because I was able to secure permits for them. Unsourced populations do not severely bias estimates of migration rate among the sampled populations, according to Beerli's (2004) simulations, although Slatkin (2005) cautions that so-called “ghost populations” can be important under some circumstances.

Neutral genetic samples

For *R. temporaria*, I collected one fertilized egg from each of at least 20 different clutches in each of 48 ponds in

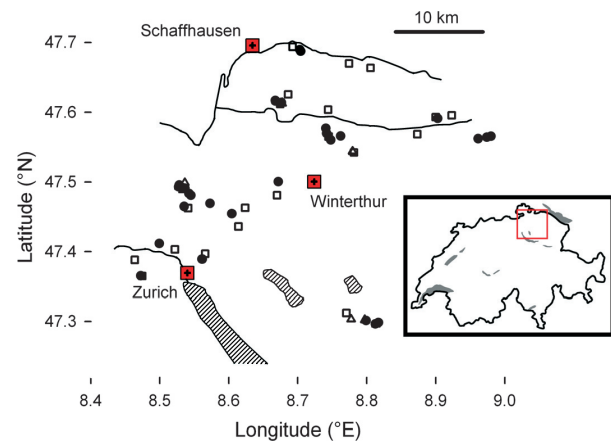


Figure 1. Map illustrating locations of the 61 ponds from which genetic samples were collected. The open squares contributed only *Rana temporaria*; open triangles only *Triturus alpestris*; filled circles both species. Rivers are indicated by lines, and lakes are hatched. The inset indicates the location of the study area within Switzerland. In some cases, ponds are so close together that their symbols cannot be distinguished; therefore, exact locations of all ponds are given in Table S1.

March 2000; 996 embryos were collected in total. Insofar as possible, half-sibs sired by the same male were avoided by sampling from clutches of different ages and in different parts of the pond. After tadpoles hatched and re-sorbed the yolk sac, they were stored in 96% ethyl alcohol until the DNA was extracted. The number of individuals genotyped per population averaged 20.7 (range 13–36; three populations had <17 samples). For *T. alpestris*, samples came from 816 larvae collected in 41 ponds by dip-netting or pipe-sampling during July 2000 (Van Buskirk 2009). Again, I avoided sampling relatives by distributing the dip-nets or pipe throws across large areas of the pond. The number of individuals per population averaged 19.9 (range 6–53). Tissue samples were stored in alcohol.

Amphibian larvae were genotyped at highly variable microsatellite loci, applying previously described protocols (Garner et al. 2003). There were eight loci for *R. temporaria* and seven loci for *T. alpestris*. One *R. temporaria* locus showed evidence for divergent selection, according to the test of Beaumont and Nichols (1996), and was therefore discarded from analyses. The markers and their statistical properties are described in Tables S2 and S3; Fig. S1 for *R. temporaria*, and in Garner et al. (2003), Table S4; Fig. S1 for *T. alpestris*. Both species exhibited some significant deviations from Hardy–Weinberg equilibrium, using exact probability tests (Raymond and Rousset 1995). Therefore, I estimated the frequency of null alleles following Brookfield (1996, eq. 2) and

included the estimated frequencies as a single allele in subsequent analyses. Estimated null allele frequency averaged 0.084 for *R. temporaria* and 0.065 for *T. alpestris* (Tables S2 and S4).

Landscape measures

Landscape features were measured along straight-line dispersal paths and within lens-shaped regions connecting all pairs of populations within 10 km of each other. I did not include population pairs >10 km apart for several reasons. First, evidence suggests that amphibians are philopatric or usually disperse a few hundred meters between the larval stage and first reproduction, only rarely covering kilometers (reviewed in Smith and Green 2005). In addition, there was significant isolation by distance in both species (Fig. S2). This implies that more distant population pairs, generally more than 5–10 km apart, were connected by dispersal only indirectly and over longer periods of time. Thus, there is a greater risk that mutation contributes to divergence between more distant populations. Finally, barriers and land cover become less relevant as distance increases and large numbers of different types of barriers accumulate (Murphy et al. 2010; Jaquiere et al. 2011).

For every allowed dispersal path, I measured the overall straight-line distance and the surface area of a lens-shaped region having a width 20% of the length and the ends anchored at the pair of ponds. For the lens regions, the density of distinct ponds and building structures was recorded. For the straight-line paths, I measured distances passing through three types of land cover: forest, open field, and urban (density of building structures $\geq 10 \text{ ha}^{-1}$). I also counted the number of times the dispersal path traversed a secondary road, a divided highway, a river >5-m wide, an airport runway, or a rail line. These habitat and barrier types were chosen because distinctions among them have proven important in earlier work on amphibians (Angelone et al. 2011; Hether and Hoffman 2012). The landscape data were measured from digital versions of 1:25,000 topographic maps, updated between 1998 and 2003 (Bundesamt für Landestopographie, Wabern, Switzerland). Older maps confirm that, while land cover on the study area is not unchanged in recent decades, the basic configuration of ponds, forests, roads, and urban areas has remained consistent since the 1970s. This is especially true for forests, which are protected by Swiss federal law.

Analyses described below assume that animals follow (nearly) linear dispersal paths between breeding sites, a common assumption in landscape genetics (Storfer et al. 2010). Although linear dispersal cannot really occur, highly directed movement in the terrestrial habitat is often observed in radio-telemetry studies of amphibians

(Matthews and Pope 1999; Freidenfelds et al. 2011) and linear dispersal is supported by statistical modeling (Spear et al. 2005; Goldberg and Waits 2010). In any case, comparison among indirect dispersal paths requires independent information about resistance of landscape elements (e.g., “least-cost modeling”; Adriaenssen et al. 2003), and this would be incompatible with my aim of estimating resistance directly from data on gene flow.

Statistical analyses

Interpopulation differentiation was estimated by F_{ST} using the allele identity method (Hardy and Vekemans 2002). F_{ST} is appropriate for this study because it indirectly reflects long-term migration rates between pairs of populations, under the assumption that divergence is more strongly influenced by drift than by selection and mutation (Slatkin 1991; Epperson 2005; Whitlock 2011). Although genetic effective population sizes (N_e) are not known, annual counts of the number of clutches produced by female *R. temporaria* between 1999 and 2011 were fairly small (median 121, range 11–2315, $N = 48$ ponds). This suggests that drift may be more important for population divergence than mutation (Crow and Aoki 1984). Moreover, private alleles were infrequent (0.0012 in *R. temporaria* and 0.0046 in *T. alpestris*), and this too implies that divergence was not primarily due to new mutations. For both species, genetic divergence was far too low to directly estimate first-generation migrants (e.g., Beerli and Felsenstein 2001).

The number of individuals dispersing between each pair of populations per generation, m , was estimated according to Slatkin's (1993, eq. 6) formulation for two populations: $N_e m = (1/F_{ST} - 1)/4$. Although the value of N_e is unknown, specific information on N_e would influence estimates of absolute dispersal, but not the relative impacts of landscape features on gene flow (see Discussion).

For each species, I constructed three types of linear model. The first predicted gene flow among population pairs based on the distance within the dispersal path covered by forest (L_F), open field (L_O), and urban (L_U) land covers. The parameters of this model reflect the relative resistances to gene flow of the three kinds of land cover. The number of migrants between two populations, i and j , was expressed as:

$$M_{ij} = \alpha + \beta_F L_{F,ij} + \beta_O L_{O,ij} + \beta_U L_{U,ij} + \varepsilon, \quad (1)$$

for all $i < j$ (i.e., each population pair was included once). M_{ij} is the logarithm of $N_e m$; α is the intercept, which estimates gene flow between immediately adjacent populations; the β s are coefficients representing the impact of

a 1-km length of forest, open, or urban land; and ε is the variation in M_{ij} not explained by distances through the three land types.

The second model estimated the impact of discrete landscape elements – rivers, secondary roads, and highways – suspected to affect movement among populations:

$$M_{ij} = \alpha + \beta_D L_{ij} + \beta_R N_{R,ij} + \beta_S N_{S,ij} + \beta_H N_{H,ij} + \varepsilon, \quad (2)$$

where the intercept α estimates gene flow between ponds that are immediately adjacent and have no landscape elements separating them; L_{ij} is the distance between populations i and j (km) (for all $i < j$); N_R , N_S , and N_H are the number of rivers, secondary roads, and divided highways falling between the populations; β_D is the change in gene flow per km; and the other β s are coefficients representing the impact of a single landscape element of the corresponding type. Railroad lines were combined with secondary roads and airport runways were combined with divided highways, because neither of these elements was sufficiently frequent to allow their contributions to be estimated separately. Convergence issues prevented me from including landscape elements and land cover within the same model, probably because multiple pairs of independent variables were highly correlated.

The third model asked whether gene flow was related to the densities of discrete building structures and wetlands falling within the lens-shaped region connecting pairs of populations:

$$M_{ij} = \alpha + \beta_A A_{ij} + \beta_B D_{B,ij} + \beta_P D_{P,ij} + \varepsilon, \quad (3)$$

where α is the intercept, A_{ij} is the area of the lens-shaped region between populations i and j (ha); D_B and D_P are the densities of buildings and ponds falling within the lens-shaped area (per ha); β_A is the change in gene flow for each 1-ha increase in the area of the lens region; and the other β s are coefficients representing the impact of a change in the density of buildings and ponds.

These analyses were inspired by that in Ricketts (2001), modified here for use with data on neutral marker divergence. Parameters were estimated by maximum likelihood in SAS version 9.2 (SAS Institute 2009); confidence intervals and significance were evaluated from 9,999 permutations of the response variables in eqs (1–3).

Results

Triturus alpestris showed higher rates of estimated gene flow than *R. temporaria* (Fig. 2). Analyses of land cover revealed significantly reduced migration rates across open fields and urban areas for *R. temporaria*, and through urban areas for *T. alpestris* (Table 1A). N_{em} among *R. temporaria* populations separated by urban

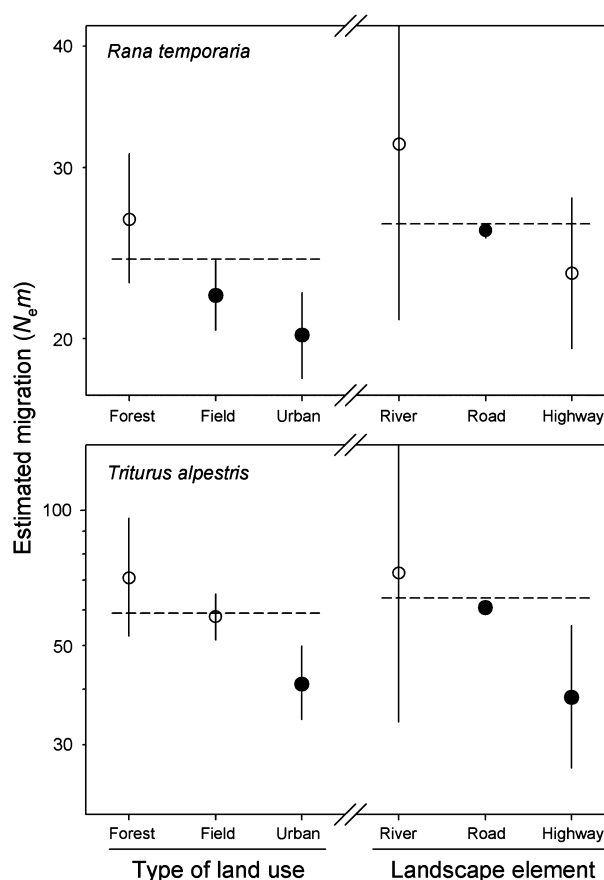


Figure 2. Impacts of land cover types (left side) and landscape elements (right side) on estimated gene flow between pairs of breeding populations for a frog (*Rana temporaria*) and a salamander (*Triturus alpestris*). The horizontal dashed line is the estimated number of migrants (N_{em}) between populations that are coincident (or immediately adjacent). The symbols and vertical lines illustrate the change in N_{em} ($\pm 95\%$ CI) caused by the addition of 1-km land cover of the type indicated or the presence of one landscape element of the type indicated. Filled symbols emphasize impacts on gene flow that were significant in permutation tests.

land was reduced about 24% relative to that among populations separated by forest. That is, a standard distance through urban habitat permitted movement of 76% as many migrants as an equivalent distance of forested habitat. The corresponding figure for *T. alpestris* was a 42% reduction in gene flow caused by urban land (Fig. 2).

Analyses of landscape elements revealed that roads and divided highways caused reduced gene flow, especially for *T. alpestris* (Table 1B). Reductions in N_{em} for each secondary road and divided highway were 1.6% and 11% in *R. temporaria*, and 4.9 and 40% in *T. alpestris* (Fig. 2). These figures agree with the observation that frogs cross roads somewhat better than salamanders (Hels and

Table 1. Analyses of landscape impacts on gene flow among populations of two amphibian species.

Source	<i>Rana temporaria</i>			<i>Triturus alpestris</i>		
	Estimate	P-value	95% CI	Estimate	P-value	95% CI
A. Type of land cover						
Intercept	3.185	0.0570		4.079	0.0001	
Forest	0.093	0.1185	−0.056, 0.250	0.180	0.1262	−0.118, 0.487
Field	−0.086	0.0203	−0.169, −0.003	−0.019	0.3885	−0.138, 0.099
Urban	−0.181	0.0000	−0.283, −0.079	−0.365	0.0000	−0.547, −0.169
B. Landscape element						
Intercept	3.268	0.0215		4.156	0.0001	
Distance (km)	−0.029	0.2028	−0.097, 0.038	0.128	0.0127	0.018, 0.239
Rivers	0.189	0.1781	−0.227, 0.583	0.128	0.3703	−0.637, 0.871
Secondary roads	−0.016	0.0318	−0.034, −0.001	−0.050	0.0003	−0.082, −0.015
Divided highways	−0.118	0.0955	−0.296, 0.061	−0.511	0.0012	−0.873, −0.140
C. Building and pond density						
Intercept	3.346	0.0001		4.242	0.0001	
Lens area (ha)	−0.006	0.0173	−0.012, 0.001	−0.001	0.4111	−0.008, 0.006
Building density	−0.118	0.0075	−0.219, −0.015	−0.219	0.0001	−0.345, 0.060
Pond density	−0.389	0.0703	−0.930, 0.472	0.008	0.6635	−0.070, 0.142

P-values and 95% confidence intervals come from 9999 permutations of the response variables (see eqs 1–3). Coefficients for lens area in part C are multiplied by 10. Samples sizes are 284 dispersal paths for *R. temporaria* and 183 paths for *T. alpestris*. Boldface highlights significant results.

Buchwald 2001; Mazerolle et al. 2005). Movement among populations was not significantly influenced by the presence of an intervening river. The positive effect of distance in *T. alpestris* appeared only in models that included landscape elements; otherwise, gene flow declined significantly with distance in both species (*R. temporaria*: -0.068 , $P = 0.0099$; *T. alpestris*: -0.054 , $P = 0.0393$). This may be caused by the declining importance of landscape elements as distance increases (Murphy et al. 2010; Jaquiere et al. 2011).

Analysis of lens-shaped segments spanning pairs of populations confirmed that $N_e m$ declined with increasing distance – significantly so for *R. temporaria* – and with increasing density of building structures (Table 1C). Gene flow was entirely unaffected by the density of wetlands within the lens region. As in previous analyses, the relative magnitudes of coefficients confirmed that *T. alpestris* was more sensitive than *R. temporaria* to roads and urban land cover.

Discussion

These results provide quantitative insight into resistance to gene flow among amphibian populations represented by different land use types and landscape elements. Although the level of gene flow was generally higher in *T. alpestris* than in *R. temporaria*, the two species experienced similar influences of the matrix between breeding sites. Forest cover was least resistant to movement and urban habitat most resistant. Roads obstructed gene flow

in both species, with divided highways and airport runways about 7–8 times more resistant than secondary roads. These results are in broad agreement with information on habitat preferences of these species (Nöllert and Nöllert 1992), and with earlier work on how land cover and barrier structures modify exchange among populations of amphibians (Carr and Fahrig 2001; Spear et al. 2005; Murphy et al. 2010; Angelone et al. 2011).

The absolute levels of migration implied by my results are high, because effective population sizes in amphibians are usually quite small. Assuming that N_e is 100, which is on the high end of estimates from the literature (reviewed in Ficetola et al. 2010), the values of $N_e m$ depicted in Fig. 2 would be generated by long-term migration rates among adjacent (or coincident) populations in the range of 0.24 individuals per generation in *R. temporaria* and 0.59 individuals per generation in *T. alpestris*. A 1-km length of urban area would reduce these rates to 0.20 and 0.41 individuals per generation, respectively. Of course, these rates would increase if true values of N_e are smaller than 100.

The use of divergence at neutral genetic markers to indirectly reflect dispersal rate has important implications (Bossart and Prowell 1998; Whitlock 2011). On the positive side, genetic divergence reflects successful movement and reproduction (i.e., gene flow). Studies of marked animals cannot differentiate between individuals that disperse and breed, and those that merely wander or for some reason do not settle in the recipient habitat patch. Also, F_{ST} provides a measure of gene flow that can be

applied to a large sample of populations and integrates over many generations (Whitlock 1992). Neither of these would be feasible in a mark-recapture study of individual movement (Koenig et al. 1996). On the other hand, F_{ST} scales with dispersal rate only under certain assumptions (Whitlock 2011). Two such assumptions, that markers are not under selection and that the mutation rate is smaller than the migration rate, are probably fulfilled in this study. Evidence against selection came from simulations showing that F_{ST} for individual microsatellite markers did not differ from that expected under neutrality. Evidence against high mutation rates came from the rarity of private alleles. Moreover, my focus on nearby population pairs helps ensure that migration exceeds mutation. Although there are limitations in the use of F_{ST} to infer gene flow, this study is at least in good company, because the great majority of analyses in landscape genetics have employed F_{ST} or its close relatives (Storfer et al. 2010).

Recent landscape models allow organisms to exhibit more realistic, non-linear dispersal paths between habitat patches. "Least-cost" models and their derivatives incorporate spatially explicit landscape information and produce detailed predictions about land use and movement paths (Adriaenssens et al. 2003; Pinto and Keitt 2009). However, these approaches require independent knowledge about resistance of landscape features to animal movement, which comes from natural history information, behavioral observations of the organisms, or expert opinion (Spear et al. 2010). The same sources are used to supply a priori estimates of resistance for other forms of causal landscape modeling as well (Cushman et al. 2006; Stevens et al. 2006; Greenwald et al. 2009).

Estimates of landscape permeability based on data from the organisms themselves, rather than external observations, could be important for conservation planning and understanding landscape effects on population structure. Empirical estimates of relative resistance values across the three land cover types in my study are more similar to one another than are those proposed in the amphibian literature. For example, the resistance values used by Ray et al. (2002), Compton et al. (2007), and Greenwald et al. (2009) for fields and urban areas were 9–16 times higher than for forested land. Some studies of amphibians propose that urban land is entirely impermeable to dispersal (Stevens et al. 2006; Safner et al. 2011). In each of these cases, values were chosen based on tracking studies or knowledge of terrestrial habitat use, but this information need not reflect actual gene flow (Koenig et al. 1996; Bossart and Prowell 1998). My genetic estimates of the number of migrants per generation illustrate that urban areas and highways are indeed more resistant to gene flow than forested land, but that they are not nearly as resistant as previously assumed. More generally, the data

suggest that permeability distinctions among land cover types, while statistically detectable in this and other studies, may be quantitatively less important than has been supposed (Ray et al. 2002; Stevens et al. 2006; Baguette and Van Dyck 2007; Safner et al. 2011). Of course, resistance estimates may differ among species with different habitat requirements (e.g., Stevens et al. 2006).

Conservation biologists find that estimates of landscape permeability are of practical use for parameterizing landscape models used to guide conservation strategy (Minor and Urban 2008; Leidner and Haddad 2011). Getting the permeability values right is important because the behavior of models is sensitive to the values chosen (Balkenhol et al. 2009; Rayfield et al. 2010). My approach is therefore valuable because it contributes to developing accurate parameters for use in basic and applied landscape and metapopulation models.

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Conflict of Interest

None declared.

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Supporting Information

Additional Supporting Information may be found in the online version of this article at the publisher's web site:

Figure S1. Results of Beaumont & Nichols's test for selection for the *Rana temporaria* and *Triturus alpestris* microsatellite loci.

Figure S2. Isolation by distance among the 48 populations of *Rana temporaria* and 41 populations of *Triturus alpestris*.

Table S1. Locations of the populations of *Rana temporaria* and *Triturus alpestris* included in this study.

Table S2. Diagnostic statistics for microsatellite loci used to estimate *Rana temporaria* population divergence.

Table S3. Published sources for the *Rana temporaria* microsatellite loci, along with the number of non-null alleles occurring at each locus, F_{ST} , and F_{IS} .

Table S4. Diagnostic statistics for microsatellite loci used to estimate *Triturus alpestris* population divergence.

Table S1. Locations and elevations of the populations of *Rana temporaria* and *Triturus alpestris* included in this study. Genetic samples were available for populations indicated with an “x.”

Population	Latitude (°N)	Longitude (°E)	Elevation (m)	<i>Rana temporaria</i>	<i>Triturus alpestris</i>
allm	47.4833	8.5424	420	x	x
alls	47.4807	8.5451	422	x	x
amb1	47.3024	8.7970	540		x
amb3	47.3012	8.7990	538	x	x
amb4	47.3017	8.7974	539		x
anni	47.3882	8.4638	447	x	
awma	47.4621	8.5412	424	x	
birk	47.2964	8.8124	541	x	x
bode	47.5648	8.7446	498	x	
chaf	47.4034	8.5219	551	x	
chap	47.4118	8.4994	520	x	x
eige	47.4626	8.6238	507	x	
ente	47.6163	8.6675	400	x	x
eroa	47.6937	8.6926	397	x	
esch	47.6873	8.7042	404	x	x
etzw	47.6633	8.8055	430	x	
flgu	47.4883	8.5338	436		x
fucu	47.4926	8.5300	438		x
grab	47.4910	8.5363	429	x	x
grut	47.5617	8.9613	614	x	x
gurw	47.5599	8.7477	490	x	x
haup	47.4904	8.5350	434		x
hell	47.2959	8.8133	541		x
hiwi	47.2984	8.8169	559	x	x
home	47.4690	8.5727	488	x	x
hubs	47.3650	8.4745	628	x	
hubw	47.3653	8.4725	631	x	x
hund	47.3030	8.7774	509		x
insl	47.4956	8.5283	439	x	x
isol	47.4988	8.5363	426		x
jmai	47.4931	8.5277	440		x
jnw1	47.4930	8.5273	440	x	x
kebn	47.5419	8.7816	455	x	
kzwi	47.5639	8.9739	650	x	x
lang	47.5656	8.7621	472	x	x
mosl	47.5910	8.9027	460	x	x
mrbm	47.5431	8.7796	458		x
mrbn	47.5434	8.7793	458		x
mrbs	47.5426	8.7798	460		x
muet	47.4540	8.6045	458	x	x
oloo	47.5768	8.7406	465	x	x
opfi	47.5695	8.7417	515	x	x

oste	47.5682	8.8733	385	x	
pfac	47.6037	8.7439	470	x	
piro	47.6897	8.7030	419	x	x
rain	47.5956	8.9231	428	x	
raue	47.6126	8.6774	423		x
rauw	47.6131	8.6765	424	x	x
rode	47.6697	8.7744	529	x	
schl	47.4646	8.5353	434	x	x
seew	47.3122	8.7705	514	x	
stru	47.4808	8.6700	573	x	
sypf	47.4356	8.6141	470	x	
untr	47.3970	8.5658	591	x	
weck	47.5929	8.9000	455	x	
whof	47.6250	8.6862	401	x	
wolf	47.5654	8.9799	662	x	x
wtal	47.5003	8.6716	475	x	x
zaun	47.6120	8.6746	423	x	
zurl	47.3893	8.5617	645	x	x
zurs	47.3892	8.5613	645	x	x

Table S2. Diagnostic statistics for microsatellite loci used to estimate *Rana temporaria* population divergence. The table includes two parts. Part 1 shows population-level statistics for the eight loci, one of which was discarded from later analyses. For each locus, values are reported for the number of tadpoles scored (N), the number of alleles present not including null alleles (A), observed and expected heterozygosity (Ho and He) calculated without accounting for null alleles, and estimated null allele frequency (NAF; eqn. 2 in Brookfield 1996, *Molecular Ecology* 5:453-455). I estimated null allele frequencies because deviation from Hardy-Weinberg equilibrium was in some cases significant when checked with exact probability tests (Guo & Thompson 1992, *Biometrics* 48:361-372; implemented in GENEPOP 4.0.10). For all subsequent analyses, I adjusted allele frequencies at the population level, introducing one new allele under the assumption that all allelic dropout arose from a single null. Part 2 reports population means for A, Ho, and He after correcting for null alleles.

Part 1

Population	N	A	Ho	He	NAF
<hr/>					
<u>Locus RtCa22</u>					
allm	18	2	0.167	0.157	-0.009
alls	18	2	0.000	0.108	0.097
amb3	20	2	0.050	0.050	0
anni	19	1	0.000	0.000	0
awma	23	1	0.000	0.000	0
birk	19	1	0.000	0.000	0
bode	20	3	0.100	0.188	0.074
chaf	18	2	0.056	0.056	0
chap	19	1	0.000	0.000	0
eige	17	2	0.059	0.059	0
ente	22	1	0.000	0.000	0
eroa	10	1	0.000	0.000	0
esch	23	2	0.000	0.085	0.078
etzw	20	1	0.000	0.000	0
grab	21	2	0.000	0.093	0.085
grut	21	4	0.095	0.403	0.220
gurw	25	2	0.120	0.115	-0.004
hiwi	19	1	0.000	0.000	0
home	22	2	0.091	0.089	-0.002
hubs	1	1	0.000	0.000	0
hubw	5	1	0.000	0.000	0
insl	19	2	0.158	0.149	-0.008
jnw1	19	2	0.053	0.053	0
kebn	18	1	0.000	0.000	0
kzwi	19	1	0.000	0.000	0
lang	22	1	0.000	0.000	0
mosl	22	2	0.045	0.045	0
muet	21	2	0.048	0.048	0
oloo	24	4	0.125	0.122	-0.003

opfi	24	1	0.000	0.000	0
oste	19	1	0.000	0.000	0
pfac	23	4	0.174	0.167	-0.006
piro	19	2	0.053	0.053	0
rain	22	3	0.091	0.090	-0.001
rauw	21	2	0.048	0.048	0
rode	14	1	0.000	0.000	0
schl	24	1	0.000	0.000	0
seew	21	1	0.000	0.000	0
stru	25	1	0.000	0.000	0
sypf	17	2	0.118	0.114	-0.004
untr	21	3	0.143	0.138	-0.004
weck	12	1	0.000	0.000	0
whof	30	1	0.000	0.000	0
wolf	16	3	0.125	0.232	0.087
wtal	21	1	0.000	0.000	0
zaun	18	1	0.000	0.000	0
zurl	19	3	0.105	0.104	-0.001
zurs	19	3	0.158	0.152	-0.005
<u>average</u>	19.1		0.045	0.062	0.014

Locus RtCa2-22

allm	15	6	0.733	0.662	-0.043
alls	12	6	0.667	0.768	0.057
amb3	19	8	0.526	0.733	0.119
anni	13	6	0.769	0.766	-0.002
awma	19	7	0.632	0.688	0.033
birk	16	8	0.688	0.800	0.062
bode	15	8	0.467	0.669	0.121
chaf	10	8	0.600	0.789	0.106
chap	11	5	0.455	0.766	0.176
pfac	14	8	0.643	0.751	0.062
eige	5	5	0.400	0.711	0.182
ente	14	5	0.500	0.585	0.054
eroa	10	3	0.400	0.442	0.029
esch	19	5	0.526	0.485	-0.028
etzw	16	7	0.688	0.661	-0.016
grab	18	8	0.500	0.805	0.169
grut	16	7	0.563	0.607	0.027
gurw	17	7	0.765	0.709	-0.033
hiwi	16	7	0.563	0.716	0.089
home	9	4	0.444	0.647	0.123
hubs	10	6	0.900	0.774	-0.071
hubw	19	8	0.421	0.777	0.200
insl	17	5	0.588	0.663	0.045
jnw1	16	4	0.625	0.613	-0.007
kebn	11	7	0.818	0.788	-0.017
kzwi	16	6	0.438	0.647	0.127
lang	20	7	0.850	0.783	-0.038
mosl	19	8	0.737	0.751	0.008
muet	18	5	0.389	0.551	0.104
oloo	20	7	0.700	0.710	0.006
opfi	14	8	0.929	0.767	-0.092
oste	18	8	0.722	0.786	0.036
piro	9	5	1.000	0.673	-0.195
rain	17	4	0.588	0.599	0.007
rauw	14	5	0.357	0.563	0.132

rode	9	6	0.667	0.693	0.015
schl	14	6	0.643	0.603	-0.025
seew	18	7	0.611	0.622	0.007
stru	17	5	0.471	0.469	-0.001
sypf	10	5	0.700	0.595	-0.066
untr	18	6	0.833	0.811	-0.012
weck	17	9	0.765	0.786	0.012
whof	32	5	0.594	0.622	0.017
wolf	17	5	0.706	0.640	-0.040
wtal	15	7	0.733	0.667	-0.040
zaun	14	4	0.714	0.521	-0.127
zurl	13	6	0.385	0.732	0.200
zurs	9	6	0.333	0.765	0.245
<u>average</u>	14.8		0.626	0.686	0.034

Locus RtCa9 (discarded from analyses; see figure below)

allm	18	7	0.389	0.708	0.187
alls	18	10	0.833	0.852	0.010
amb3	21	9	0.762	0.789	0.015
anni	19	7	0.684	0.745	0.035
awma	23	9	0.565	0.643	0.047
birk	19	10	0.947	0.829	-0.065
bode	20	5	0.600	0.581	-0.012
chaf	19	8	0.789	0.765	-0.014
chap	21	11	0.762	0.815	0.029
pfac	22	6	0.591	0.541	-0.032
eige	15	7	0.667	0.763	0.054
ente	9	4	0.222	0.399	0.127
eroa	7	5	0.714	0.659	-0.033
esch	19	6	0.526	0.744	0.125
etzw	18	8	0.333	0.830	0.272
grab	16	6	0.375	0.661	0.172
grut	19	8	0.474	0.787	0.175
gurw	22	7	0.545	0.550	0.003
hiwi	18	7	0.611	0.757	0.083
home	20	11	0.650	0.842	0.104
hubs	18	7	0.389	0.663	0.165
hubw	21	7	0.381	0.724	0.199
insl	17	5	0.176	0.701	0.309
jnw1	18	4	0.611	0.494	-0.078
kebn	13	6	0.615	0.606	-0.006
kzwi	15	9	0.600	0.846	0.133
lang	20	8	0.450	0.612	0.100
mosl	23	6	0.130	0.702	0.336
muet	16	10	0.875	0.768	-0.061
oloo	22	9	0.636	0.689	0.031
opfi	24	6	0.375	0.429	0.038
oste	13	9	0.769	0.874	0.056
piro	20	8	0.750	0.741	-0.005
rain	18	10	0.778	0.871	0.050
rauww	21	9	0.762	0.735	-0.016
rode	13	6	0.615	0.751	0.078
schl	23	9	0.609	0.646	0.022
seew	21	9	0.810	0.660	-0.090
stru	19	11	0.737	0.787	0.028
sypf	16	6	0.750	0.776	0.015
untr	21	10	0.714	0.828	0.062

weck	14	7	0.071	0.817	0.411
whof	33	9	0.697	0.758	0.035
wolf	19	9	0.579	0.799	0.122
wtal	21	9	0.667	0.576	-0.058
zaun	17	8	0.588	0.743	0.089
zurl	13	3	0.308	0.532	0.146
zurs	17	10	0.588	0.651	0.038
<u>average</u>	18.2		0.572	0.706	0.078

Locus RtCa30

allm	18	11	0.667	0.854	0.101
alls	17	8	0.118	0.807	0.381
amb3	19	8	0.421	0.745	0.186
anni	18	7	0.333	0.644	0.189
awma	18	8	0.167	0.875	0.378
birk	15	9	0.467	0.802	0.186
bode	14	8	0.357	0.852	0.267
chaf	17	6	0.412	0.681	0.160
chap	18	8	0.500	0.784	0.159
pfac	22	12	0.636	0.819	0.101
eige	13	7	0.538	0.745	0.119
ente	17	6	0.353	0.804	0.250
eroa	8	5	0.250	0.667	0.250
esch	20	8	0.500	0.826	0.179
etzw	16	10	0.438	0.800	0.201
grab	16	11	0.375	0.849	0.256
grut	15	10	0.467	0.887	0.223
gurw	24	9	0.375	0.838	0.252
hiwi	19	6	0.421	0.632	0.129
home	21	9	0.619	0.848	0.124
hubs	20	9	0.350	0.710	0.211
hubw	20	12	0.450	0.865	0.223
insl	17	8	0.412	0.750	0.193
jnw1	15	6	0.267	0.506	0.159
kebn	6	3	0.500	0.439	-0.042
kzwi	16	9	0.625	0.841	0.117
lang	21	9	0.619	0.800	0.101
mosl	17	9	0.235	0.824	0.323
muet	19	10	0.526	0.767	0.136
oloo	23	8	0.435	0.611	0.109
opfi	23	8	0.304	0.703	0.234
oste	16	8	0.500	0.825	0.178
piro	16	7	0.375	0.750	0.214
rain	18	7	0.611	0.762	0.086
rauw	21	8	0.286	0.806	0.288
rode	10	7	0.400	0.842	0.240
schl	22	9	0.273	0.832	0.305
seew	17	9	0.235	0.786	0.309
stru	22	9	0.364	0.809	0.246
sypf	14	9	0.214	0.862	0.348
untr	19	7	0.316	0.673	0.213
weck	19	7	0.421	0.829	0.223
whof	32	11	0.531	0.854	0.174
wolf	15	8	0.333	0.834	0.273
wtal	18	8	0.333	0.816	0.266
zaun	17	8	0.294	0.802	0.282
zurl	17	7	0.412	0.734	0.186

zurs	17	9	0.529	0.701	0.101
<u>average</u>	17.5		0.406	0.768	0.203

Locus RtCa2-28

allm	18	9	0.667	0.817	0.083
alls	16	9	0.563	0.817	0.140
amb3	21	6	0.381	0.748	0.210
anni	17	6	0.471	0.697	0.133
awma	23	9	0.478	0.697	0.129
birk	18	7	0.556	0.784	0.128
bode	20	7	0.550	0.797	0.137
chaf	16	9	0.563	0.847	0.154
chap	14	6	0.357	0.804	0.248
pfac	18	6	0.278	0.798	0.289
eige	17	9	0.588	0.865	0.149
ente	19	8	0.579	0.791	0.118
eroa	10	8	0.900	0.853	-0.025
esch	18	8	0.500	0.813	0.173
etzw	14	7	0.429	0.812	0.211
grab	21	7	0.667	0.749	0.047
grut	16	6	0.250	0.659	0.247
gurw	25	9	0.560	0.755	0.111
hiwi	20	10	0.500	0.878	0.201
home	21	7	0.429	0.799	0.206
hubs	21	6	0.524	0.751	0.130
hubw	24	8	0.667	0.772	0.059
insl	14	7	0.643	0.783	0.079
jnw1	18	8	0.667	0.606	-0.038
kebn	17	8	0.353	0.838	0.264
kzwi	17	6	0.176	0.713	0.313
lang	20	8	0.600	0.812	0.117
mosl	14	7	0.286	0.772	0.274
muet	19	6	0.684	0.667	-0.010
oloo	24	10	0.625	0.784	0.089
opfi	21	9	0.762	0.830	0.037
oste	18	7	0.333	0.849	0.279
piro	19	7	0.789	0.832	0.023
rain	18	3	0.333	0.656	0.195
rauww	9	5	0.889	0.771	-0.067
rode	8	6	0.500	0.783	0.159
schl	22	8	0.545	0.815	0.149
seew	10	6	0.400	0.726	0.189
stru	22	8	0.682	0.683	0.001
sypf	15	7	0.467	0.630	0.100
untr	21	7	0.429	0.702	0.160
weck	13	5	0.231	0.778	0.308
whof	13	5	0.308	0.815	0.279
wolf	18	5	0.111	0.673	0.336
wtal	20	7	0.750	0.810	0.033
zaun	14	6	0.500	0.683	0.109
zurl	18	7	0.500	0.735	0.135
zurs	16	8	0.500	0.716	0.126
<u>average</u>	17.4		0.516	0.764	0.140

Locus Rtempu8

allm	18	9	0.778	0.681	-0.058
alls	15	5	0.200	0.409	0.148

amb3	21	9	0.571	0.706	0.079
anni	19	9	0.368	0.684	0.188
awma	21	10	0.381	0.490	0.073
birk	18	10	0.556	0.683	0.075
bode	15	5	0.133	0.361	0.168
chaf	18	9	0.556	0.675	0.071
chap	20	7	0.450	0.465	0.010
pfac	22	8	0.636	0.555	-0.052
eige	16	7	0.438	0.520	0.054
ente	21	10	0.571	0.578	0.004
eroa	10	5	0.500	0.511	0.007
esch	21	11	0.857	0.736	-0.070
etzw	18	10	0.667	0.711	0.026
grab	21	8	0.524	0.487	-0.025
grut	21	7	0.571	0.630	0.036
gurw	23	5	0.435	0.410	-0.018
hiwi	19	4	0.158	0.154	-0.003
home	21	12	0.667	0.692	0.015
hubs	21	11	0.762	0.746	-0.009
hubw	24	10	0.458	0.469	0.007
insl	21	8	0.524	0.685	0.096
jnw1	19	6	0.632	0.579	-0.034
kebn	18	7	0.333	0.433	0.070
kzwi	19	9	0.632	0.597	-0.022
lang	21	7	0.429	0.382	-0.034
mosl	22	12	0.727	0.770	0.024
muet	20	8	0.600	0.533	-0.044
oloo	20	10	0.650	0.605	-0.028
opfi	20	7	0.200	0.436	0.164
oste	21	13	0.762	0.791	0.016
piro	17	6	0.294	0.371	0.056
rain	21	11	0.667	0.626	-0.025
rauw	21	9	0.667	0.678	0.007
rode	8	6	0.500	0.617	0.072
schl	24	10	0.750	0.672	-0.047
seew	17	7	0.471	0.570	0.063
stru	21	6	0.238	0.381	0.104
sypf	14	9	0.714	0.728	0.008
untr	21	10	0.810	0.744	-0.038
weck	20	9	0.550	0.771	0.125
whof	33	10	0.515	0.740	0.129
wolf	18	7	0.556	0.537	-0.012
wtal	21	9	0.476	0.490	0.009
zaun	18	9	0.611	0.651	0.024
zurl	19	10	0.737	0.687	-0.030
zurs	19	11	0.684	0.727	0.025
<u>average</u>	19.3		0.542	0.583	0.027

Locus Rtempu7

allm	15	7	0.467	0.777	0.174
alls	7	4	0.571	0.648	0.047
amb3	14	8	0.643	0.828	0.101
anni	17	8	0.353	0.759	0.231
awma	22	7	0.591	0.816	0.124
birk	19	7	0.421	0.733	0.180
bode	10	5	0.500	0.789	0.162
chaf	16	4	0.438	0.448	0.007

chap	13	7	0.538	0.806	0.148
pfac	19	8	0.474	0.842	0.200
eige	11	5	0.364	0.563	0.127
ente	15	6	0.600	0.671	0.042
eroa	6	5	0.667	0.833	0.091
esch	21	10	0.810	0.800	-0.006
etzw	16	8	0.500	0.728	0.132
grab	16	7	0.563	0.720	0.091
grut	16	10	0.875	0.841	-0.018
gurw	22	10	0.909	0.756	-0.087
hiwi	18	9	0.667	0.697	0.018
home	12	7	0.500	0.761	0.148
hubs	20	10	0.850	0.728	-0.071
hubw	25	8	0.800	0.826	0.014
insl	21	10	0.762	0.864	0.055
jnw1	19	11	0.684	0.841	0.085
kebn	17	10	0.941	0.875	-0.035
kzwi	20	10	0.650	0.795	0.081
lang	18	10	0.778	0.762	-0.009
mosl	19	9	0.737	0.802	0.036
muet	18	7	0.556	0.670	0.068
oloo	22	9	0.591	0.768	0.100
opfi	23	12	0.783	0.851	0.037
oste	21	7	0.524	0.776	0.142
piro	19	7	0.895	0.828	-0.037
rain	20	9	0.550	0.735	0.107
rauw	19	8	0.789	0.775	-0.008
rode	8	6	0.625	0.767	0.080
schl	23	9	0.478	0.594	0.073
seew	16	4	0.188	0.506	0.211
stru	12	7	0.500	0.645	0.088
sypf	14	5	0.643	0.751	0.062
untr	19	9	0.842	0.797	-0.025
weck	18	9	0.778	0.800	0.012
whof	31	10	0.581	0.776	0.110
wolf	18	8	0.500	0.756	0.146
wtal	19	6	0.632	0.720	0.051
zaun	18	10	0.778	0.789	0.006
zurl	14	8	0.643	0.783	0.079
zurs	11	8	0.364	0.779	0.233
<u>average</u>	17.1		0.614	0.751	0.079

Locus RtCa25

allm	16	10	0.688	0.837	0.081
alls	12	6	0.583	0.783	0.112
amb3	3	3	1.000	0.733	-0.154
anni	13	8	0.462	0.754	0.166
awma	22	16	0.864	0.922	0.030
birk	16	8	0.500	0.819	0.175
bode	20	12	0.450	0.883	0.230
chaf	15	12	0.733	0.869	0.073
chap	18	13	0.611	0.892	0.149
pfac	16	12	0.750	0.913	0.085
eige	12	8	0.500	0.786	0.160
ente	17	9	0.529	0.859	0.178
eroa	9	7	0.778	0.837	0.032
esch	21	14	0.857	0.892	0.018

etzw	18	10	0.833	0.875	0.022
grab	19	14	0.947	0.925	-0.011
grut	18	12	0.944	0.854	-0.049
gurw	23	13	0.696	0.905	0.110
hiwi	14	15	0.786	0.931	0.075
home	9	8	0.556	0.902	0.182
hubs	13	13	0.538	0.948	0.210
hubw	23	14	0.652	0.831	0.098
insl	18	8	0.667	0.763	0.054
jnw1	19	10	0.632	0.826	0.106
kebn	17	17	0.941	0.950	0.005
kzwi	21	14	0.810	0.877	0.036
lang	22	12	0.773	0.845	0.039
mosl	20	15	0.750	0.918	0.088
muet	12	8	0.500	0.764	0.150
oloo	22	13	0.818	0.888	0.037
opfi	18	13	0.500	0.916	0.217
oste	19	15	0.842	0.879	0.020
piro	16	11	0.500	0.859	0.193
rain	22	14	0.909	0.910	0.001
rauww	20	9	0.750	0.859	0.059
rode	10	11	0.500	0.895	0.208
schl	22	18	0.682	0.927	0.127
seew	21	13	0.667	0.893	0.119
stru	7	6	0.286	0.879	0.316
sypf	15	12	0.733	0.846	0.061
untr	19	11	0.789	0.903	0.060
weck	8	9	0.500	0.917	0.218
whof	24	12	0.708	0.850	0.077
wolf	12	10	0.667	0.866	0.107
wtal	19	13	0.684	0.885	0.107
zaun	14	8	0.714	0.775	0.034
zurl	16	11	0.688	0.847	0.086
zurs	17	11	0.765	0.852	0.047
<u>average</u>	16.5		0.689	0.867	0.095

Part 2

Population	Population averages		
	A	Ho	He
allm	8.1	0.63	0.70
alls	6.6	0.44	0.69
amb3	6.9	0.57	0.67
anni	7.0	0.45	0.66
awma	9.0	0.51	0.67
birk	7.9	0.52	0.70
bode	7.7	0.44	0.70
chaf	7.7	0.51	0.65
chap	7.3	0.47	0.67

pfac	8.9	0.58	0.71
eige	6.9	0.56	0.66
ente	7.0	0.49	0.64
eroa	4.9	0.49	0.61
esch	8.6	0.51	0.68
etzw	8.0	0.61	0.68
grab	8.7	0.54	0.70
grut	8.4	0.56	0.73
gurw	8.1	0.60	0.65
hiwi	7.9	0.59	0.60
home	7.6	0.48	0.71
hubs	8.3	0.54	0.67
hubw	9.1	0.69	0.67
insl	7.4	0.53	0.70
jnw1	7.0	0.56	0.60
kebn	7.9	0.55	0.66
kzwi	8.4	0.58	0.67
lang	8.0	0.53	0.63
mosl	9.3	0.59	0.71
muet	7.0	0.55	0.61
oloo	9.1	0.51	0.66
opfi	8.7	0.59	0.67
oste	8.9	0.55	0.72
piro	6.7	0.58	0.65
rain	7.6	0.57	0.65
rauw	7.0	0.55	0.67
rode	6.7	0.51	0.70
schl	9.1	0.52	0.65
seew	7.3	0.43	0.63
stru	6.4	0.42	0.57
sypf	7.4	0.54	0.67
untr	7.9	0.62	0.70
weck	7.4	0.55	0.71
whof	8.3	0.51	0.68
wolf	7.1	0.52	0.69
wtal	7.6	0.54	0.64
zaun	6.7	0.54	0.62
zurl	8.0	0.54	0.69
zurs	8.6	0.55	0.71

Table S3. The number of non-null alleles (A) occurring at each locus for *Rana temporaria*, along with measures of population divergence (F_{ST} ; allele identity method of Cockerham, 1973, *Genetics* 74:679-700) and inbreeding (F_{IS}), calculated in GENEPOP 4.0.10 under the assumption that a single null allele exists.

Locus	A	F_{ST}	F_{IS}	Reference**
RtCa22	6	0.041	0.217	Primmer & Merilä 2002
RtCa2-22	12	0.035	0.097	Teacher et al. 2009
RtCa9*	24	0.083	0.164	Garner & Tomio 2001
RtCa30	20	0.022	0.407	Teacher et al. 2009
Rt2Ca2-28	16	0.029	0.279	Teacher et al. 2009
Rtempμ8	28	0.023	0.077	Rowe & Beebee 2001
Rtempμ7	20	0.021	0.142	Rowe & Beebee 2001
RtCa25	36	0.032	0.139	Lesbarreres et al. 2005
Average		0.036	0.193	
Average without RtCa9		0.027	0.201	

* Discarded from analyses because of evidence for selection (see Fig. S1).

** References:

- Garner, T. W. J., and G. Tomio. 2001. Microsatellites for use in studies of the Italian Agile Frog, *Rana latastei*. *Conservation Genetics* 2:77-80.
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- Primmer, C. R., and J. Merilä. 2002. A low rate of cross-species microsatellite amplification success in ranid frogs. *Conservation Genetics* 3:445-449.
- Rowe, G., and T. J. C. Beebee. 2001. Polymerase chain reaction primers for microsatellite loci in the common frog *Rana temporaria*. *Molecular Ecology Notes* 1:6-7.
- Teacher, A. G. F., T. W. J. Garner, and R. A. Nichols. 2009. Population genetic patterns suggest a behavioral change in wild common frogs (*Rana temporaria*) following disease outbreaks (Ranavirus). *Molecular Ecology* 18:3163-3172.

Table S4. Diagnostic statistics for microsatellite loci used to estimate *Triturus alpestris* population divergence. The table includes three parts. Part 1 shows population-level statistics for the seven loci. For each locus, values are reported for the number of larvae scored (N), the number of alleles present not including null alleles (A), observed and expected heterozygosity calculated without accounting for null alleles (H_o and H_e), and estimated null allele frequency (NAF; eqn. 2 in Brookfield 1996, *Molecular Ecology* 5:453-455). I estimated null allele frequencies because deviation from Hardy-Weinberg equilibrium was in some cases significant when checked with exact probability tests (Guo & Thompson 1992, *Biometrics* 48:361-372; implemented in GENEPOP 4.0.10). For all subsequent analyses, I adjusted allele frequencies at the population level, introducing one new allele under the assumption that all allelic dropout arose from a single null.

Part 2 reports population means for A, H_o , and H_e .

Part 3 reports the number of non-null alleles (A) occurring at each locus, along with measures of population divergence (F_{ST} ; allele identity method of Cockerham [1973, *Genetics* 74:679-700]) and inbreeding (F_{IS}), calculated in GENEPOP under the assumption that a single null allele exists.

Part 1

Population	N	A	H_o	H_e	NAF
<u>Locus Ta1Ca1</u>					
allm	10	4	0.600	0.553	0.000
alls	15	5	0.733	0.687	0.000
amb1	20	7	0.500	0.617	0.072
amb3	28	6	0.357	0.604	0.154
amb4	19	5	0.474	0.587	0.071
birk	9	3	0.556	0.542	0.000
chap	23	3	0.273	0.406	0.095
ente	20	4	0.316	0.397	0.058
esch	19	2	0.316	0.273	0.000
figu	19	4	0.526	0.539	0.008

fucu	20	4	0.300	0.347	0.035
grab	42	4	0.634	0.552	0.000
grut	6	2	0.500	0.530	0.020
gurw	18	3	0.389	0.398	0.006
haup	21	5	0.500	0.586	0.054
hell	20	6	0.550	0.577	0.017
hiwi	14	5	0.714	0.624	0.000
home	23	6	0.609	0.614	0.003
hubw	20	3	0.550	0.573	0.015
hund	22	5	0.500	0.543	0.028
insl	21	5	0.600	0.544	0.000
isol	20	6	0.500	0.487	0.000
jmai	17	5	0.412	0.497	0.057
jnw1	20	2	0.500	0.431	0.000
kzwi	18	5	0.500	0.605	0.065
lang	20	7	0.474	0.549	0.048
mosl	27	3	0.481	0.408	0.000
mrbm	20	2	0.400	0.385	0.000
mrbn	21	5	0.571	0.566	0.000
mrbs	22	5	0.500	0.518	0.012
muet	20	4	0.600	0.637	0.023
oloo	20	5	0.400	0.491	0.061
opfi	21	5	0.476	0.519	0.028
piro	20	2	0.350	0.358	0.006
raue	7	2	0.143	0.143	0.000
rauwl	53	5	0.321	0.371	0.036
schl	19	3	0.471	0.469	0.000
wolf	7	2	0.429	0.363	0.000
wtal	18	4	0.611	0.529	0.000
zurl	16	4	0.625	0.504	0.000
zurs	21	4	0.333	0.417	0.059
<u>average</u>	19.9		0.478	0.496	0.025

Locus Ta2Caga3

allm	10	11	0.700	0.842	0.077
alls	15	17	0.800	0.949	0.076
amb1	20	13	0.684	0.724	0.023
amb3	28	17	0.778	0.739	0.000
amb4	19	11	0.632	0.775	0.081
birk	9	10	0.889	0.902	0.007
chap	23	13	0.696	0.833	0.075
ente	20	18	0.632	0.747	0.066
esch	19	17	0.789	0.906	0.061
figu	19	20	0.789	0.858	0.037
fucu	20	17	0.800	0.877	0.041
grab	42	27	0.854	0.933	0.041
grut	6	6	0.667	0.758	0.052
gurw	18	12	0.611	0.746	0.077
haup	21	17	0.800	0.892	0.049
hell	20	15	0.850	0.885	0.019
hiwi	14	9	0.643	0.632	0.000
home	23	18	0.739	0.850	0.060
hubw	20	13	0.800	0.882	0.044
hund	22	13	0.864	0.850	0.000
insl	21	15	0.905	0.801	0.000
isol	20	13	0.700	0.863	0.087
jmai	17	11	0.824	0.775	0.000

jnw1	20	18	0.800	0.903	0.054
kzwi	18	14	0.889	0.902	0.007
lang	20	15	0.700	0.865	0.088
mosl	27	18	0.852	0.809	0.000
mrbm	20	13	0.750	0.758	0.005
mrbn	21	14	0.714	0.784	0.039
mrbs	22	16	0.682	0.678	0.000
muet	20	16	0.650	0.881	0.123
oloo	20	18	0.850	0.844	0.000
opfi	21	14	0.667	0.844	0.096
piro	20	12	0.600	0.831	0.126
raue	7	9	0.571	0.868	0.159
rauw	53	27	0.736	0.862	0.068
schl	19	15	0.842	0.832	0.000
wolf	7	11	0.857	0.956	0.051
wtal	18	14	0.778	0.911	0.070
zurl	16	13	0.563	0.821	0.142
zurs	21	16	0.810	0.868	0.031
<u>average</u>	19.9		0.750	0.835	0.050

Locus Ta3Caga2

allm	10	2	0.500	0.521	0.014
alls	15	2	0.533	0.497	0.000
amb1	20	5	0.450	0.671	0.132
amb3	28	4	0.481	0.544	0.041
amb4	19	3	0.684	0.531	0.000
birk	9	3	0.667	0.582	0.000
chap	23	4	0.261	0.305	0.034
ente	20	2	0.778	0.508	0.000
esch	19	2	0.579	0.508	0.000
figu	19	2	0.526	0.444	0.000
fucu	20	3	0.550	0.499	0.000
grab	42	2	0.463	0.409	0.000
grut	6	2	0.667	0.485	0.000
gurw	18	3	0.200	0.434	0.163
haup	21	3	0.450	0.481	0.021
hell	20	2	0.500	0.508	0.005
hiwi	14	6	0.357	0.775	0.235
home	23	4	0.522	0.538	0.010
hubw	20	3	0.250	0.296	0.035
hund	22	3	0.455	0.507	0.035
insl	21	2	0.429	0.345	0.000
isol	20	2	0.500	0.492	0.000
jmai	17	4	0.625	0.591	0.000
jnw1	20	3	0.350	0.409	0.042
kzwi	18	2	0.444	0.457	0.009
lang	20	3	0.412	0.508	0.064
mosl	27	3	0.333	0.498	0.110
mrbm	20	3	0.421	0.444	0.016
mrbn	21	4	0.429	0.501	0.048
mrbs	22	4	0.500	0.532	0.021
muet	20	3	0.300	0.492	0.129
oloo	20	2	0.500	0.467	0.000
opfi	21	2	0.476	0.372	0.000
piro	20	2	0.579	0.491	0.000
raue	7	2	0.714	0.495	0.000
rauw	53	2	0.538	0.493	0.000

schl	19	4	0.375	0.556	0.116
wolf	7	2	0.571	0.527	0.000
wtal	18	3	0.389	0.500	0.074
zurl	16	2	0.533	0.460	0.000
zurs	21	2	0.714	0.494	0.000
<u>average</u>	19.9		0.5	0.500	0.033

Locus Ta4Caga4

allm	10	3	0.700	0.695	0.000
alls	15	7	0.467	0.662	0.117
amb1	20	4	0.375	0.685	0.184
amb3	28	5	0.542	0.636	0.057
amb4	19	5	0.474	0.673	0.119
birk	9	3	0.667	0.680	0.008
chap	23	5	0.364	0.455	0.063
ente	20	5	0.600	0.678	0.046
esch	19	9	0.579	0.772	0.109
figu	19	5	0.789	0.713	0.000
fucu	20	6	0.250	0.644	0.240
grab	42	7	0.700	0.706	0.004
grut	6	6	0.500	0.833	0.182
gurw	18	6	0.250	0.678	0.255
haup	21	6	0.450	0.713	0.154
hell	20	4	0.300	0.642	0.208
hiwi	14	6	0.500	0.732	0.134
home	23	7	0.522	0.746	0.128
hubw	20	7	0.700	0.787	0.049
hund	22	5	0.722	0.617	0.000
insl	21	6	0.550	0.712	0.095
isol	20	4	0.737	0.656	0.000
jmai	17	8	0.600	0.768	0.095
jnw1	20	6	0.529	0.679	0.089
kzwi	18	6	0.444	0.732	0.166
lang	20	6	0.588	0.734	0.084
mosl	27	4	0.556	0.645	0.054
mrbm	20	4	0.350	0.665	0.189
mrbn	21	8	0.737	0.768	0.018
mrbs	22	7	0.636	0.737	0.058
muet	20	3	0.700	0.682	0.000
oloo	20	6	0.474	0.708	0.137
opfi	21	7	0.286	0.647	0.219
piro	20	5	0.722	0.708	0.000
raue	7	4	0.429	0.692	0.155
rauww	53	9	0.735	0.727	0.000
schl	19	5	0.313	0.563	0.160
wolf	7	6	0.429	0.703	0.161
wtal	18	6	0.500	0.694	0.115
zurl	16	7	0.533	0.740	0.119
zurs	21	6	0.400	0.672	0.163
<u>average</u>	19.9		0.53	0.690	0.101

Locus Ta3Caga1

allm	10	14	1.000	0.947	0.000
alls	15	16	0.933	0.947	0.007
amb1	20	22	0.550	0.964	0.211
amb3	28	22	0.846	0.953	0.055
amb4	19	16	0.706	0.913	0.108

birk	9	12	0.889	0.941	0.027
chap	23	18	0.895	0.939	0.023
ente	20	18	0.632	0.949	0.163
esch	19	18	0.684	0.939	0.132
flgu	19	18	1.000	0.952	0.000
fucu	20	18	0.750	0.940	0.098
grab	42	24	0.625	0.926	0.156
grut	6	9	0.667	0.939	0.140
gurw	18	14	0.611	0.932	0.166
haup	21	22	0.800	0.960	0.082
hell	20	22	0.850	0.959	0.056
hiwi	14	14	0.667	0.935	0.139
home	23	19	0.571	0.951	0.195
hubw	20	16	0.800	0.913	0.059
hund	22	19	0.818	0.948	0.067
insl	21	26	0.810	0.957	0.075
isol	20	18	0.947	0.932	0.000
jmai	17	18	0.625	0.956	0.169
jnw1	20	18	0.650	0.945	0.152
kzwi	18	18	0.611	0.952	0.175
lang	20	15	0.667	0.933	0.138
mosl	27	26	0.815	0.963	0.075
mrbm	20	14	0.850	0.914	0.033
mrbn	21	18	0.810	0.945	0.069
mrbs	22	18	0.952	0.940	0.000
muet	20	19	0.900	0.955	0.028
oloo	20	21	0.650	0.933	0.146
opfi	21	25	0.850	0.969	0.060
piro	20	17	0.750	0.937	0.097
raue	7	8	0.333	0.879	0.291
rauww	53	29	0.941	0.955	0.007
schl	19	21	0.684	0.959	0.140
wolf	7	8	0.714	0.901	0.098
wtal	18	19	0.722	0.929	0.107
zurl	16	18	0.800	0.954	0.079
zurs	21	21	0.714	0.913	0.104
<u>average</u>	19.9		0.760	0.940	0.096

Locus Ta6Ca1

allm	10	4	0.300	0.611	0.193
alls	15	5	0.333	0.405	0.051
amb1	20	4	0.263	0.383	0.087
amb3	28	4	0.217	0.527	0.203
amb4	19	6	0.235	0.643	0.248
birk	9	4	0.222	0.464	0.165
chap	23	4	0.308	0.514	0.136
ente	20	5	0.176	0.629	0.278
esch	19	5	0.167	0.563	0.253
flgu	19	4	0.133	0.577	0.282
fucu	20	5	0.111	0.656	0.329
grab	42	6	0.293	0.427	0.094
grut	6	3	0.200	0.556	0.229
gurw	18	5	0.077	0.452	0.258
haup	21	4	0.188	0.280	0.072
hell	20	4	0.167	0.475	0.209
hiwi	14	3	0.182	0.416	0.165
home	23	4	0.333	0.489	0.105

hubw	20	4	0.235	0.608	0.232
hund	22	4	0.300	0.528	0.149
insl	21	4	0.286	0.400	0.081
isol	20	4	0.333	0.665	0.199
jmai	17	5	0.313	0.675	0.216
jnw1	20	5	0.188	0.470	0.192
kzwi	18	5	0.188	0.563	0.240
lang	20	5	0.059	0.519	0.303
mosl	27	5	0.391	0.612	0.137
mrbm	20	5	0.350	0.663	0.188
mrbn	21	5	0.429	0.647	0.132
mrbs	22	4	0.333	0.511	0.118
muet	20	4	0.158	0.494	0.225
oloo	20	5	0.471	0.640	0.103
opfi	21	4	0.067	0.545	0.309
piro	20	5	0.263	0.615	0.218
raue	7	4	0.400	0.600	0.125
rauw	53	5	0.458	0.666	0.125
schl	19	3	0.389	0.475	0.058
wolf	7	3	0.429	0.560	0.084
wtal	18	4	0.111	0.508	0.263
zurl	16	4	0.154	0.557	0.259
zurs	21	5	0.278	0.592	0.197
<u>average</u>	19.9		0.260	0.540	0.183

Locus Ta3Ca8

allm	10	4	0.700	0.721	0.012
alls	15	8	0.571	0.722	0.088
amb1	20	4	0.385	0.689	0.180
amb3	28	7	0.680	0.733	0.031
amb4	19	4	0.444	0.652	0.126
birk	9	5	0.500	0.725	0.130
chap	23	7	0.667	0.745	0.045
ente	20	6	0.579	0.696	0.069
esch	19	7	0.737	0.734	0.000
figu	19	4	0.722	0.687	0.000
fucu	20	6	0.316	0.627	0.191
grab	42	7	0.600	0.716	0.068
grut	6	5	0.500	0.652	0.092
gurw	18	5	0.231	0.625	0.242
haup	21	7	0.611	0.744	0.076
hell	20	5	0.632	0.673	0.025
hiwi	14	5	0.556	0.712	0.091
home	23	6	0.750	0.736	0.000
hubw	20	5	0.700	0.714	0.008
hund	22	8	0.524	0.675	0.090
insl	21	4	0.571	0.587	0.010
isol	20	4	0.700	0.676	0.000
jmai	17	9	0.667	0.798	0.073
jnw1	20	4	0.737	0.707	0.000
kzwi	18	7	0.563	0.786	0.125
lang	20	6	0.667	0.729	0.036
mosl	27	3	0.692	0.667	0.000
mrbm	20	4	0.579	0.661	0.049
mrbn	21	4	0.875	0.688	0.000
mrbs	22	7	0.667	0.728	0.035
muet	20	4	0.800	0.695	0.000

oloo	20	3	0.667	0.675	0.005
opfi	21	6	0.529	0.663	0.081
piro	20	6	0.857	0.754	0.000
raue	7	4	0.400	0.733	0.192
rauw	53	6	0.739	0.718	0.000
schl	19	5	0.462	0.455	0.000
wolf	7	7	0.429	0.791	0.202
wtal	18	6	0.611	0.711	0.058
zurl	16	5	0.500	0.688	0.111
zurs	21	6	0.550	0.645	0.058
<u>average</u>	19.9		0.600	0.700	0.063

Part 2

Population	Population averages		
	A	Ho	He
allm	6.0	0.64	0.70
alls	8.6	0.62	0.70
amb1	8.4	0.46	0.68
amb3	9.3	0.56	0.68
amb4	7.1	0.52	0.68
birk	5.7	0.63	0.69
chap	7.7	0.49	0.60
ente	8.3	0.53	0.66
esch	8.6	0.55	0.67
flgu	8.1	0.64	0.68
fucu	8.4	0.44	0.66
grab	11.0	0.6	0.67
grut	4.7	0.53	0.68
gurw	6.9	0.34	0.61
haup	9.1	0.54	0.67
hell	8.3	0.55	0.67
hiwi	6.9	0.52	0.69
home	9.1	0.58	0.70
hubw	7.3	0.58	0.68
hund	8.1	0.6	0.67
insl	8.9	0.59	0.62
isol	7.3	0.63	0.68
jmai	8.6	0.58	0.72
jnw1	8.0	0.54	0.65
kzwi	8.1	0.52	0.71
lang	8.1	0.51	0.69
mosl	8.9	0.59	0.66
mrbm	6.4	0.53	0.64
mrbn	8.3	0.65	0.70
mrbs	8.7	0.61	0.66
muet	7.6	0.59	0.69
oloo	8.6	0.57	0.68
opfi	9.0	0.48	0.65
piro	7.0	0.59	0.67
raue	4.7	0.43	0.63

rauw	11.9	0.64	0.68
schl	8.0	0.51	0.62
wolf	5.6	0.55	0.69
wtal	8.0	0.53	0.68
zurl	7.6	0.53	0.67
zurs	8.6	0.54	0.66

Part 3

Locus	A	F_{ST}	F_{IS}
<hr/>			
Ta1Ca1	13	0.022	0.012
Ta2Caga3	51	0.014	0.048
Ta3Caga2	9	0.034	-0.020
Ta4Caga4	20	0.010	0.148
Ta3Caga1	48	0.012	0.139
Ta6Ca1	9	0.015	0.436
Ta3Ca8	18	0.011	0.126
<u>Average</u>	24.0	0.0156	0.1299
<hr/>			

Figure S1. Results of Beaumont & Nichols's (1996, *Proc. R. Soc. Lond. B* 263:1619-1626) test for selection for the eight *Rana temporaria* and seven *Triturus alpestris* microsatellite loci, under the stepwise mutation model. Predicted F_{ST} (solid line) and its 99% CI (dotted lines) were simulated using observed values for loci, population, individuals, and median F_{ST} . For *R. temporaria*, marker RtCa9 showed evidence of divergent selection and was therefore discarded from analyses. None of the *T. alpestris* markers showed any evidence of selection.

Linkage disequilibrium, not shown here, was rarely significant (Markov chain method described in Raymond & Rousset [1995, *Evolution* 49:1280-1283]; implemented in GENEPOP 4.0.10). There were 21 two-way tests for LD among loci within each population. For *R. temporaria*, none of these tests was significant at $\alpha = 0.05$ in 34 of the 48 populations, and all but one of the populations had significant results for ≤ 2 pairs of loci. For *T. alpestris*, an average of 1.0 of these tests was significant in each of the 41 populations, and all but three of the populations had significant results for ≤ 2 pairs of loci. This suggests that the markers were not closely linked.

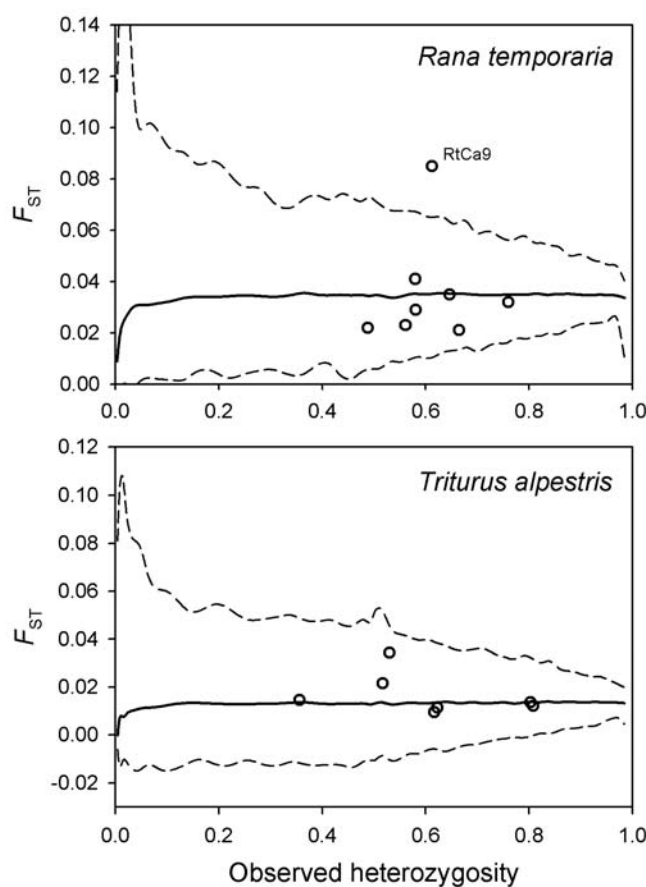


Figure S2. Isolation by distance among 48 populations of *Rana temporaria* (A) and 41 populations of *Triturus alpestris* (B) in northern Switzerland. Samples of both species were screened at the seven microsatellite loci described in Tables S2 and S3. The red line is a regression through the 1128 (*R. temporaria*) or 820 (*T. alpestris*) population pairs, which are indicated by the small black points. Blue points are averages (\pm 95% CI) of categories spaced approximately evenly on the logarithmic scale. In both species, isolation by distance was significant in Mantel tests comparing genetic divergence with the log of geographic distance (*R. temporaria*: $r = 0.236$, $P = 0.0002$; *T. alpestris*: $r = 0.143$, $P = 0.0021$; vegan package in R).

